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1 **A comparison of lumbar spine and muscle loading between male and female workers during box**
2 **transfers**

3

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23 **ABSTRACT**

24 There is a clear relationship between lumbar spine loading and back musculoskeletal disorders in manual
25 materials handling. The incidence of back disorders is greater in women than men, and for similar work
26 demands females are functioning closer to their physiological limit. It is crucial to study loading on the
27 spine musculoskeletal system with actual handlers, including females, to better understand the risk of
28 back disorders. Extrapolation from biomechanical studies conducted on unexperienced subjects (mainly
29 males) might not be applicable to actual female workers. For male workers, expertise changes the lumbar
30 spine flexion, passive spine resistance, and active/passive muscle forces. However, experienced females
31 select similar postures to those of novices when spine loading is critical. This study proposes that the
32 techniques adopted by male experts, male novices, and females (with considerable experience but not
33 categorized as experts) impact their lumbar spine musculoskeletal systems differently. Spinal loads,
34 muscle forces, and passive resistance (muscle and ligamentous spine) were predicted by a multi-joint
35 EMG-assisted optimization musculoskeletal model of the lumbar spine. Expert males flexed their lumbar
36 spine less (avg. 21.9° vs 30.3-31.7°) and showed decreased passive internal moments (muscle avg. 8.9 %
37 vs 15.9-16.0 %; spine avg. 4.7 % vs 7.1-7.8 %) and increased active internal moments (avg. 72.9 % vs
38 62.0-63.9 %), thus producing a different impact on their lumbar spine musculoskeletal systems.
39 Experienced females sustained the highest relative spine loads (compression avg. 7.3 N/BW vs 6.2-6.4
40 N/BW; shear avg. 2.3 N/BW vs 1.7-1.8 N/BW) in addition to passive muscle and ligamentous spine
41 resistance similar to novices. Combined with smaller body size, less strength, and the sequential lifting
42 technique used by females, this could potentially mean greater risk of back injury. Workers should be
43 trained early to limit excessive and repetitive stretching of their lumbar spine passive tissues.

44

45 *Keywords:* musculoskeletal modeling; expertise; sex; manual materials handling; lifting; lumbar spine;
46 muscle forces; joint forces; EMG; optimization

47

48 **1. Introduction**

49 A clear relationship between lumbar spine loading and back musculoskeletal disorders (MSD) in
50 manual materials handling (MMH) is supported by the National Research Council (2001). It is reported
51 that almost 10 % of the workforce in Québec, Canada, experience back MSD interfering with their
52 activities (Stock et al., 2011). According to the same authors, the incidence of back MSD is greater in
53 women (11.3 %) than men (7.6 %). As females are smaller in body size and not as strong as males, they
54 are functioning closer to their physiological limit than males in situations where physical work demands
55 are the same for all employees (Stock et al., 2011; Côté, 2012). Thus, it is clear that the results of MMH
56 studies conducted on males cannot be extrapolated to females.

57 To better understand the risk of back MSD in this field, it is crucial to study loading on the spine
58 musculoskeletal system with actual handlers of both sexes. Thus far, results obtained from male handlers
59 indicate that expertise or experience in MMH is a critical factor which influences lumbar spine flexion
60 and passive spine resistance, as well as active and passive muscle contributions (Gagnon et al., 2016;
61 Plamondon et al., 2014a). Moreover, Plamondon et al. (2014b) observe different interjoint coordination in
62 female MMH workers. They adopt a sequential motion (knee extension, then hip and back) while expert
63 males show a more synchronized movement. In addition, females select a posture similar to novices at the
64 instant of peak lumbosacral joint moment, and keep the same interjoint (sequential) coordination even
65 when the external load is adjusted to their body size and strength (Plamondon et al., 2017). Indeed, the
66 few other studies comparing males and females for spinal loading during MMH (Marras et al., 2002,
67 2003) are based on data collected with unexperienced subjects, not representative of actual workers.

68 The prediction of coherent muscle forces and spinal loads with sufficient biological integrity
69 requires a full multiple-joint musculoskeletal EMG-driven model of the lumbar spine (Arjmand et al.,
70 2007; Gagnon et al., 2011, 2016; Stokes & Gardner-Morse, 1995). The capability of the model to predict
71 individual muscle strategies (including coactivation) while respecting mechanical criteria is crucial, an

72 accomplishment which is attainable by EMG-driven approaches (Cholewicki et al., 1995; Gagnon et al.,
73 2001). To our knowledge, there has been no study with such models on actual female handlers.

74 Based on a series of simulated box transfers, the present study proposes that the techniques
75 adopted by male handlers (experts and novices) and female handlers (with considerable experience but
76 not categorized as experts) impact their lumbar spine musculoskeletal systems differently. A multiple-
77 joint EMG-assisted optimization lumbar spine musculoskeletal model (Gagnon et al., 2011, 2016) was
78 used to predict spinal load, muscle force, and passive spine resistance. It is hypothesized that, when
79 compared to other groups, experts employ safer work techniques requiring (RH_1) less passive muscle
80 force and spine resistance (RH_2) but more active muscle force, thus resulting in (RH_3) smaller relative
81 lumbar spine joint loads.

82

83 **2. Materials and methods**

84

85 *2.1 Experimental study*

86 Details on data collection and processing are described elsewhere (Plamondon et al., 2010,
87 2014a,b). Ten males categorized as expert handlers (age 39.1 yr. SD 10.0; mass 71.8 kg SD 9.5; height
88 1.72 m SD 0.08; experience 15 yr. SD 9.3), 10 females with work experience (age 40.7 yr. SD 9.4; mass
89 65.6 kg SD 10.1; height 1.63 m SD 0.08; experience 7 yr. SD 2.3), and 10 males categorized as novice
90 handlers (age 23.3 yr. SD 3.2; mass 69.0 kg SD 7.3; height 1.74 m SD 0.05; experience 0.5 yr. SD 0.4)
91 with entire EMG dataset were retained for this study. As explained in Plamondon et al. (2014b), the
92 females selected for this study did not meet the criterion of low lifetime incidence of back injury and so
93 could not be categorized as experts, but they had much more work experience than novices and none had
94 musculoskeletal problems that could have affected their work. Two box transfer tasks were selected (**Fig.**
95 **1**) to allow group (expert vs female vs novice), destination height (ground level vs top of the pile), and
96 phase (lift vs carry vs deposit) comparisons. Fifteen-kg boxes were transferred from a conveyor (12 cm

97 from the ground) to a hand trolley at H1 (2 cm from the ground) and H4 (98 cm from the ground) in the
98 90° orientation. A total of 30 subjects performed 2 reps for 2 tasks, resulting in the analysis of 120 trials
99 and 6490 postures (Experts: 2218, avg. 55 per trial; Females: 2264, avg. 57; Novices: 2008, avg. 50).
100 Work technique and speed were selected by the individual participant. A 2-min. rest was allowed after
101 each block of 8 round trips to prevent fatigue. A large in-house-designed force platform recorded ground
102 reaction forces at 1024 Hz. A 4-sensor system (OptoTrak, NDI, Waterloo, Canada) tracked 48 markers
103 attached to 12 rigid clusters at 30 Hz to get 3D kinematics.

104

105 *2.2 Lumbar spine musculoskeletal model*

106 Analyses involved a 76-muscle lumbar spine musculoskeletal model (**Fig. 2**; Gagnon et al., 2011,
107 2016; Arjmand et al., 2009, 2010): (1) this model is coherent from a biomechanical standpoint as it
108 resolves muscle forces to satisfy equilibrium at all crossed lumbar joints simultaneously; (2) at the same
109 time, this model is EMG-driven, so it attempts to keep the biological integrity of the system; (3) the
110 model was aligned to each subject in the neutral posture (anatomical position) using the measured
111 location of T12-L1 and L5-S1 joint centers; (4) the kinematics of this model is driven by the measured 3D
112 kinematics of the subject; and (5) the net joint moments and forces of the subject obtained by 3D inverse
113 dynamics are input to this model. In other words, these variables, used as inputs in the EMG-driven
114 model, are allowed to change according to sex differences in motion (Plamondon et al., 2014b) and trunk
115 muscle activation strategies. Superficial muscle activity was measured bilaterally by 6 pairs of active
116 surface electrodes (DelSys, Boston, USA) to serve as input to the model: longissimus pars thoracis
117 (LGPT), iliocostalis pars thoracis (ICPT), multifidus (MUF-L1), rectus abdominis (RA), and both
118 obliques (EO, IO) (Gagnon et al., 2011). Other superficial and deep muscle fascicles (32 pairs) were also
119 part of the model: multifidus (MUF), longissimus pars lumbaris (LGPL), iliocostalis pars lumbaris
120 (ICPL), quadratus lumborum (QLO), and iliopsoas (IP).

121 Active (contractile) and passive muscle forces were estimated before optimization (Christophy et
 122 al., 2012, based on Schutte, 1993 and Thelen, 2003). Muscle contraction velocity was ignored. Active and
 123 passive muscle forces were weighted by standardized coefficients as a function of fascicle length. The
 124 active muscle force was converted to active muscle moment (MAmus) using this coefficient and
 125 normalized EMG based on maximum voluntary contractions (Arjmand et al., 2010; Larivière et al.,
 126 2001). The EMG signal recorded from surface sites initialized the activity of deep local muscles (McGill
 127 et al., 1996). Passive muscle force was directly converted to passive muscle moment (MPmus). Maximum
 128 allowable stress in muscles was set to 0.7 MPa. The passive resistance of ligamentous spine (MPcol;
 129 discs and ligaments) was estimated using relationships between lumbar spine flexion and passive spine
 130 moment about each anatomical axis (Shirazi-Adl, 2006).

131

132 2.3 Multi-joint EMG-assisted optimization (M-EMGAO)

133 The M-EMGAO method (Gagnon et al., 2011, 2016) deals with the redundancy in the lumbar
 134 spine musculoskeletal model. The procedure partitions in all muscles and tissues simultaneously, the
 135 external moments (Mnet) acting about the six lumbar joints (T12-L1 to L5-S1). The approach seeks to
 136 minimize the following objective function:

$$137 \quad \min \sum_{i=1}^{176} Mnorm_i (1 - g_i)^2 \quad (1)$$

138 with:

$$139 \quad Mnorm_i = \sqrt{\sum_j Mr_{i,j}^2} \quad (2)$$

140 and:

$$141 \quad Mr_{i,j} = \sqrt{M_{L(i,j)}^2 + M_{S(i,j)}^2 + M_{T(i,j)}^2} \quad (3)$$

142

143 The problem is constrained by three equality equations at each joint:

$$\begin{cases}
\sum_{i=1}^{N_j} (g_i MAmus_{L(i,j)} + g_i MPmus_{L(i,j)}) + g_i MPcol_{L(j)} \pm g_i Merr_{L(j)} - g_i Mnet_{L(j)} = 0 \\
\sum_{i=1}^{N_j} (g_i MAmus_{S(i,j)} + g_i MPmus_{S(i,j)}) + g_i MPcol_{S(j)} \pm g_i Merr_{S(j)} - g_i Mnet_{S(j)} = 0 \\
\sum_{i=1}^{N_j} (g_i MAmus_{T(i,j)} + g_i MPmus_{T(i,j)}) + g_i MPcol_{T(j)} \pm g_i Merr_{T(j)} - g_i Mnet_{T(j)} = 0
\end{cases} \quad (4)$$

145 subjected to the following bounds:

$$\begin{cases}
\left(\frac{MAmusMax_i}{MAmus_i} \right) \geq g_i \geq 0.5 \text{ (or 0) for MAmus} \\
1.05 \geq g_i \geq 0.5 \text{ for MPmus} \\
1.05 \geq g_i \geq 0.95 \text{ for MPcol} \\
1.05 \geq g_i \geq 0.95 \text{ for Mnet} \\
1 \geq g_i \geq 0 \text{ for Merr}
\end{cases} \quad (5)$$

147

148 Subscript j is for the lumbar joint and subscripts L, S, T indicate the anatomical longitudinal,
149 sagittal and transverse local axes. The longitudinal (L) axis points from the center of the upper endplate of
150 the lower vertebra to the center of the lower endplate of the upper vertebra. The transverse (T) axis is
151 perpendicular to L and points to the left of the subject. The sagittal (S) axis is normal to the plane formed
152 by the two other axes and points anteriorly. Subscript i refers to the following moments: MAmus (1-76),
153 MPmus (77-152), MPcol (153-158), Mnet (159-164) and Merr (165-176). Within their respective bounds
154 (Eq. 5), the least possible adjustment is applied to the initial moments in MAmus, MPmus, MPcol, Mnet
155 and Merr (adjustment error) to minimize the sum of the moment norm (objective function in Eq. 1) acting
156 on the lumbar spine (T12-S1). The problem is constrained by three equalities (Eq. 4) repeated for six
157 joints (18 equations). For each equality equation (Eq. 4), the sum of all internal moments (MAmus,
158 MPmus, MPcol) and adjustment error (\pm Merr because in each direction) minus the external moment
159 (Mnet) is zero. Thus, to meet each equality constraint, Mnet must be balanced by internal moments
160 (MAmus, MPmus, MPcol) within their bounds (Eq. 5), including some adjustment error (Merr). Each
161 gain g can be adjusted ($\pm 5\%$) by the optimization, except for Merr, MAmus, and MPmus (lower bound).

162 For Merr, an iterative procedure increments its value by 1 Nm until convergence. For MAMus, the 12
163 EMG-measured fascicles cannot be zeroed because they have a lower bound of 0.5 (Gagnon et al., 2001,
164 2011; Zheng et al., 1998) to limit modification of these active muscle moments to 50 %. The lower bound
165 is set to zero for the 64 other fascicles so that the optimization can use the full force range (0-100 %) to
166 converge. To be coherent with the MAMus lower bound, the estimated passive muscle moment (MPmus)
167 of any fascicle can be reduced by no more than 50 %. Maximal active muscle moment about a lumbar
168 joint for a given posture is represented by MAMusMax (Eq. 5). Optimization problems were solved by
169 quadratic programming (*quadprog*, MATLAB optimization toolbox, MathWorks, Natick, MA, USA).

170

171 2.4 Statistical analyses

172 Three independent variables were considered: worker group (G: experts vs females vs novices),
173 box destination height (H: H1 ground vs H4 top of the pile), and box transfer phase (P: lift vs carry vs
174 deposit). Data were time normalized to flight time (box completely supported by hands). Normalized time
175 from 0 to 10 % corresponded to the lift phase, 45-55 % to carry, and 90-100 % to deposit. For each
176 subject, the results from two reps per task were averaged out. Three-way between-within-factorial
177 ANOVA ($G \times H \times P$) was used to obtain the main effects, interactions and their effect size (Bakeman,
178 2005: 0.02 is a small effect, 0.13 is medium, and 0.26 is large). Post hoc Bonferroni adjusted pairwise
179 comparisons were conducted for group (t-test with pooled SD) and phase (paired t-test). Alpha was set to
180 0.05 and all tests were run in R (R Core Team, 2017).

181 Statistical analyses involved three collections of dependent variables (DV). Within each phase,
182 the value of each DV was extracted at the instant of maximal *resultant* external moment (M_{netR}) at the
183 L5-S1 joint. The first set of DV contains normalized joint forces at L5-S1: compression (F_{comp}),
184 posterior-anterior shear ($F_{shear PA}$), and medial-lateral shear force ($F_{shear ML}$) acting respectively along
185 local L, S, and T axes. These forces were normalized to body weight (BW) to account for anthropometric
186 differences between males and females (Plamondon et al., 2014b). Additionally, lumbar spine flexion

187 angle and external moment at L5-S1 were included in this collection. The second set of DV includes
188 normalized internal moments (M_{Amus}, M_{Pmus}, and M_{Pcol}) which are acting to counterbalance the
189 flexion-extension (about T axes) external moment (M_{net}) at L5-S1. These internal moments were
190 normalized to remove unwanted between-subject variance in the data (**Fig. 3**). The active muscle moment
191 (M_{Amus}) was further subdivided between two functional moments: the agonist active extensor moment
192 (conserved in M_{Amus}) and the antagonist active flexor moment (new variable M_{Amusa}). The third set of
193 DV comprises the normalized muscle moments (individually and grouped). Agonist muscles within
194 M_{Amus} were split up between global (Back G are ICPT and LGPT) and local (Back L are
195 LGPL, MUF, ICPL, and QLO) extensors. Passive moments (M_{Pmus}) were detailed in the same way.
196 Similar procedures were utilized for global antagonist flexor muscles within M_{Amusa} (Abdo are RA, EO,
197 and IO).

198

199 **3. Results**

200 For concision, only statistically significant ($p < 0.05$) and marginally significant ($0.05 \leq p < 0.10$;
201 see Limitations) main effects on the group factor are presented. However, all factors are illustrated on
202 figures to contextualize group differences. Detailed muscle moment results (Electronic Supplementary
203 Material: *Table 2* and *Fig. 7-8*) and all interactions of group with height and phase are presented in the
204 Electronic Supplementary Material.

205

206 *3.1 Joint forces with flexion angle and external moment (Table 1.A and Fig. 4)*

207 Compression and PA shear forces were different between groups. On average, compression and
208 PA shear were up to 1.1 and 0.6 N/BW greater, respectively, in females. Using average female BW, these
209 values convert to 707 N in compression and 385 N in PA shear. Generalized effect size for group was
210 much stronger for PA shear (0.22), approaching a large effect size. Joint forces were not different
211 between the males (experts and novices) and were noticeably larger at lift time as well as when

212 destination height was H1. These observations coincide with smaller lumbar flexion for experts and
213 smaller external moments for females when the box was close to the ground.

214

215 *3.2 Internal moments (Table 1.B and Fig. 5)*

216 Active internal moment for the agonists (M_Amus) differed between experts and others. Experts
217 showed on average up to 11 % more active internal moment. There was a concomitant marginal decrease
218 in both sources of passive resistance (M_Pmus, M_Pcol) for experts. Internal moments were not different
219 between females and novices for these variables.

220

221 *3.3 Muscle moments (Table 1.C and Fig. 6)*

222 Involvement of global extensors was different between groups. On average, experts increased the
223 active extensor moments (Back G_{ac}) of global muscles and reduced their passive contribution (Back G_{pc}).
224 Effect size was stronger for passive (0.17) than active extensors (0.11). The same pattern was observed
225 for local extensors (Back L_{ac}, Back L_{pc}), although these differences were marginal. The magnitude of the
226 gap between experts and the others was always more marked when the box was close to the ground (H1,
227 Fig. 6) except for Back L_{ac} in the carry phase.

228

229 *3.4 Detailed muscle moments: Global and local extensors (Electronic Supplementary Material: Table* 230 *2.D-E and Fig. 7)*

231 One global extensor (LGPT, active and passive) followed the pattern explained above for experts:
232 more active combined with less passive global muscle demand. One local extensor (ICPL_{ac}) followed the
233 pattern of the active global extensors, so there was more demand on this active local muscle for experts.
234 Marginal differences were observed for other variables, all showing the same trade-off pattern between
235 active contributions (ICPT_{ac}) and passive resistance (ICPT_{pc}, LGPL_{pc}, ICPL_{pc}, MUF_{pc}).

236

237 *3.5 Detailed muscle moments: Global flexors (Electronic Supplementary Material: Table 2.F and Fig. 8)*

238 There was no significant group effect but RA contribution was amplified for females when the
239 destination was H4 (Fig. 8, clearly visible during carry and deposit).

240

241 **4. Discussion**

242 Based on the tasks investigated, our results confirm that the MMH techniques used by the three
243 handler categories impacted their lumbar spine musculoskeletal systems differently by the way internal
244 moments were distributed. Larger normalized joint forces were sustained by females (RH₃ partly
245 supported). Overall, experts exerted more active muscle force (RH₁ supported) than females and novices,
246 who both relied on additional passive resistance from the muscles to counterbalance the external load
247 (RH₂ supported). For females and novices, the significant extra passive resistance came from global and
248 local extensor muscles.

249

250 *4.1 Joint forces with lumbar flexion angle and external moment*

251 Compression and PA shear forces, once normalized by BW to correct for anthropometric
252 differences, were larger in females. However, as observed in our previous study (Gagnon et al., 2016),
253 joint forces did not differ between the males (experts vs novices). At the same time, the external moments
254 supported by the females were smaller, especially at lift time. To verify that the picture was coherent with
255 absolute force values, average normalized joint forces were converted back to N using the average BW of
256 each group: for females, we get 4673 and 1477 N for compression and shear respectively, for experts
257 4516 and 1201 N, and for novices 4200 and 1238 N. These absolute force differences are not statistically
258 significant, since the small number of subjects resulted in a lack of sufficient statistical power. This
259 indeed shows that the females, with their smaller body size, still sustained larger absolute forces, putting
260 them at a higher risk of injury. Across all phases of box transfers, females sustained more normalized
261 joint forces, with the largest gap between them and the males observed in the carry phase. During the

262 carry phase, the trunk was closest to an upright posture (lumbar flexion $< 15^\circ$ when box destination was
263 H4) and more antagonist activity from RA_{ac} was generated (Electronic Supplementary Material: **Fig. 8**).
264 This additional abdominal activity, also greater for EO_{ac}, IO_{ac} and Abdo_{ac} but not significantly so, might
265 be seen as a way to further increase trunk stability in females at the cost of extra joint force. The need for
266 more trunk stability in females might be related to strength differences between males and females, since
267 all workers were transferring the same 15-kg boxes, as routinely happens in the workplace. It is worth
268 mentioning that the detection of such antagonist muscle activity might not be feasible without an EMG-
269 driven model able to respect both the biological and mechanical integrity of the musculoskeletal system
270 (Reeves & Cholewicki, 2003).

271

272 *4.2 Internal moments*

273 Observations made previously for novices' internal moments (Gagnon et al., 2016) are
274 corroborated in the present study, but this time for females and novices: they both bent their lumbar spine
275 more than experts and therefore created more demand on the passive portion of the lumbar spine
276 extensors as well as on the passive ligamentous spine. In other words, to counterbalance the net (external)
277 moment, the females and novices squeezed/bent their intervertebral discs more and stretched their
278 extensor muscles and lumbar ligaments more. The most critical spine loading events happened when the
279 box was close to the ground, either at lift or deposit time, thus corroborating (with a subset of the same
280 subjects doing box transfers in the present study) the interpretation of Plamondon et al. (2014b, 2017) for
281 box palletizing.

282 Global extensors, taken together (Back G) and individually (LGPT and ICPT), respected the
283 additional use of active contributions for experts as well as the extra use of passive contributions for
284 females and novices. The picture for local extensors (Back L) is somewhat different, showing extra
285 passive contribution by most local extensors in females and novices (LGPL, ICPL, and MUF) but less so
286 for experts (ICPL). In other words, experts recruited mainly their active global extensors to balance the

287 external moment, while females and novices stretched all their extensors (global and local) more to attain
288 mechanical equilibrium. As emphasized before (Gagnon et al., 2016, Plamondon et al., 2010, Dolan et al.,
289 1994), the strategy adopted by females and novices might be advantageous from the point of view of
290 energy transfer: stretched tissues and squeezed/bent discs store energy during flexion and return some of
291 it during extension, at the cost of added risk of injury. However, cumulative muscle fatigue as well as
292 repeated/sustained passive tissue stretching could degrade the situation (threat to lumbar spine stability)
293 (Solomonow et al., 1999). Moderate lumbar flexion, a strategy followed to some extent by experts who
294 were flexing their lumbar spine less and relying more on active muscle contributions, appears a better
295 way to get some energy return while preventing excessive stress on lumbar discs (Adams et al., 2002).
296 Another benefit of this latter strategy is the preservation of a safety margin for passive tissues.

297

298 *4.3 Limitations*

299 Issues concerning the subjects (injuries, age, number, expertise), the work context (laboratory vs
300 field work) and biomechanical results (human and instrument errors, use of surrogate EMG) that were
301 addressed in Plamondon et al. (2010, 2014ab, 2017) and Gagnon et al. (2011, 2016) are still relevant in
302 the present study. Model scaling to the female anatomy is an additional issue. In the present study,
303 however, there was no scaling of the model so the same musculoskeletal model of the lumbar spine was
304 used for all subjects. Two main considerations support this decision: (1) sensitivity analyses on the effect
305 of age, sex, body height (BH) and body weight (BW) on spinal loads (Ghezelbash et al., 2016)
306 demonstrate that BW is by far the most influential factor on spinal loads (effect of BW is 98.9% in
307 compression and 96.1% in shear; effect of sex is 0.7 % in compression and 2.1 % in shear); and (2) results
308 of recent studies (Anderson et al., 2012; Ghezelbash et al., 2016) indicate that such scaling would increase
309 spinal loads in females (for identical BH and BW, spinal loads in females are slightly greater than those in
310 males by ~4.7% in compression and ~8.7% in shear), thus reinforcing the differences observed in the
311 present study. Our experimental approach, designed to maximize external validity with the use of fixed

312 load and height for all groups, is not intended to explain specifically the role of sex in the lifting
313 technique, which would have required more internal validity in the adjustment of load to subjects'
314 strength and in the adjustment of origin/destination heights to body stature. The consequence of this is
315 that it is difficult to know if the difference observed is strictly due to sex or due to the differences in
316 strength and/or body size of our participants. On the other hand, as males and females differ generally in
317 strength and in body height, the results are a true representation of a real work context. From a
318 measurement standpoint, the distinctive antagonist activity detected in females when compared to males
319 implies the need for an EMG-driven musculoskeletal model to predict muscle forces. Even in a controlled
320 laboratory environment, this requirement becomes a challenge: in the present study, 15 subjects out of 45
321 were dropped for technical reasons, resulting in a substantial loss of statistical power. Ultimately, this lack
322 of statistical power may have affected a number of variables (Table 1; $p = 0.06-0.08$ for lumbar flexion,
323 MP_{mus} , MP_{col} , $Back L_{ac,pc}$, $ICPT_{ac,pc}$, $LGPL_{pc}$, $ICPL_{pc}$, MUF_{pc} and RA_{ac}) which presented trends coherent
324 with the statistically significant variables.

325 The present results corroborate that expert MMH workers select safer handling techniques than
326 females and novices by partitioning internal moments to reduce the impact on their lumbar spine
327 musculoskeletal systems. Consequently, the experience of experts might be associated with safer handling
328 practices, their limited use of passive tissues being consistent with their good back injury record. Besides,
329 females sustained larger relative spine loads than novices as well as similar additional passive muscle
330 moments and spine resistance. These observations confirmed that the sequential technique of females,
331 combined with smaller body size and strength, point to a greater potential risk of back injury. In any case,
332 MMH workers should be trained early to limit excessive and repetitive stretching of their lumbar spine
333 passive tissues.

334

335 **Conflict of interest statement**

336 There is no conflict of interest in this study.

337

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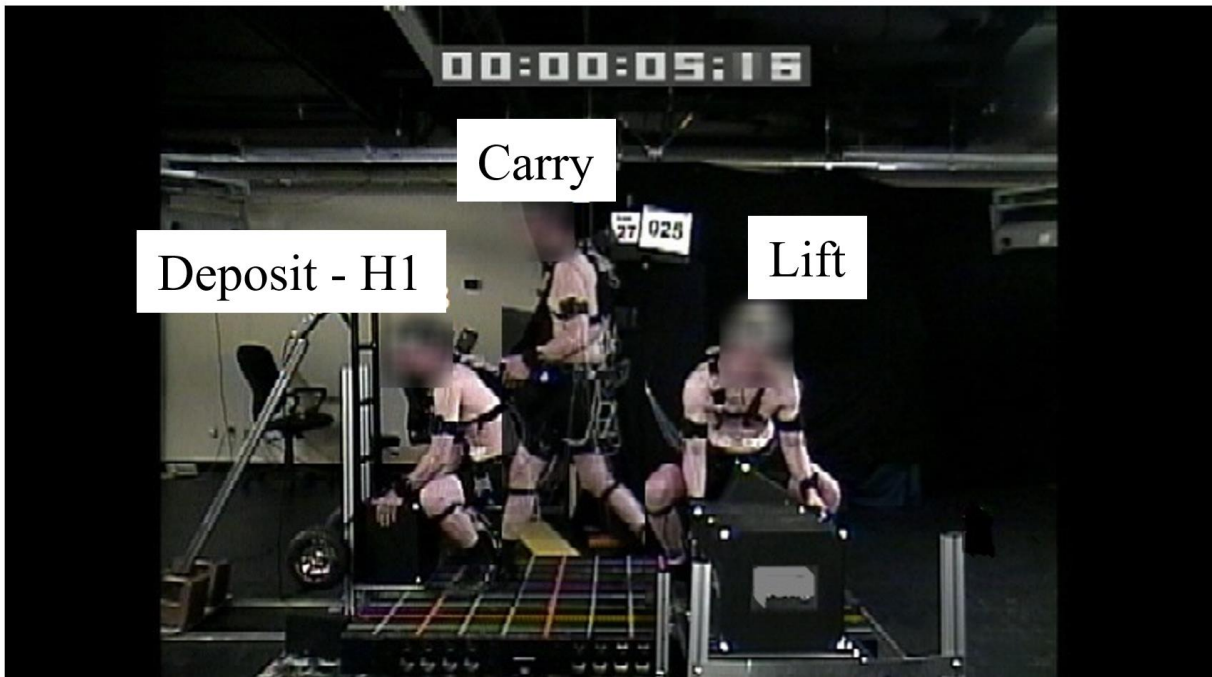
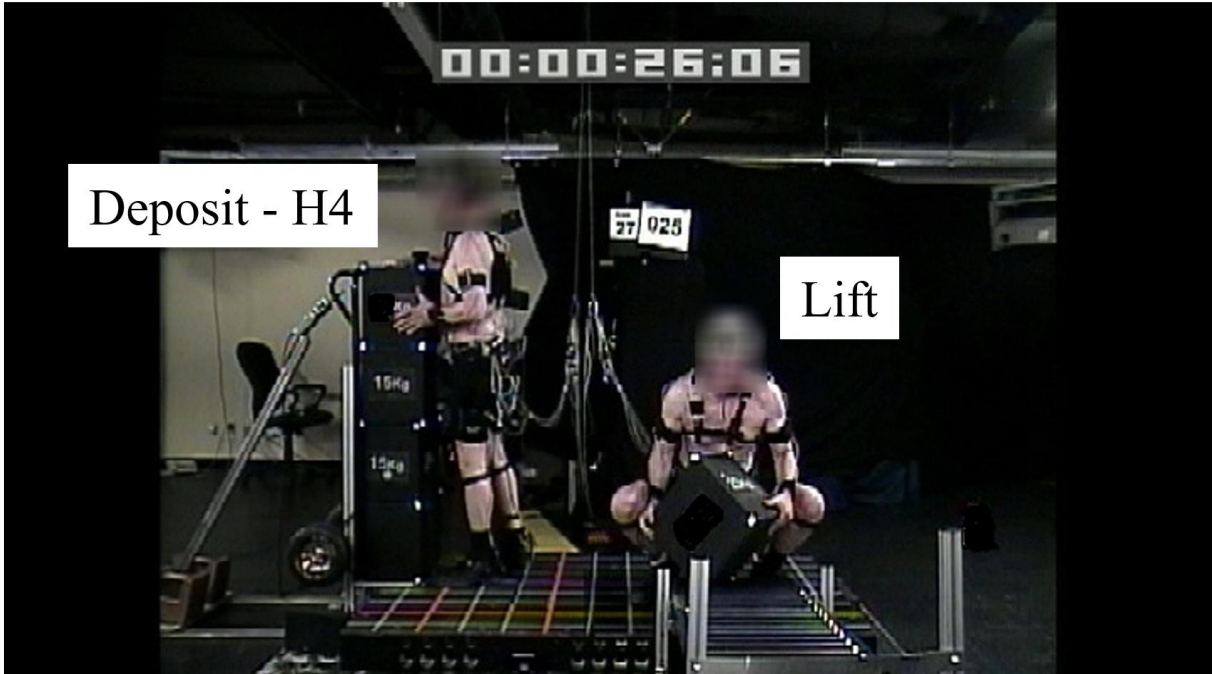
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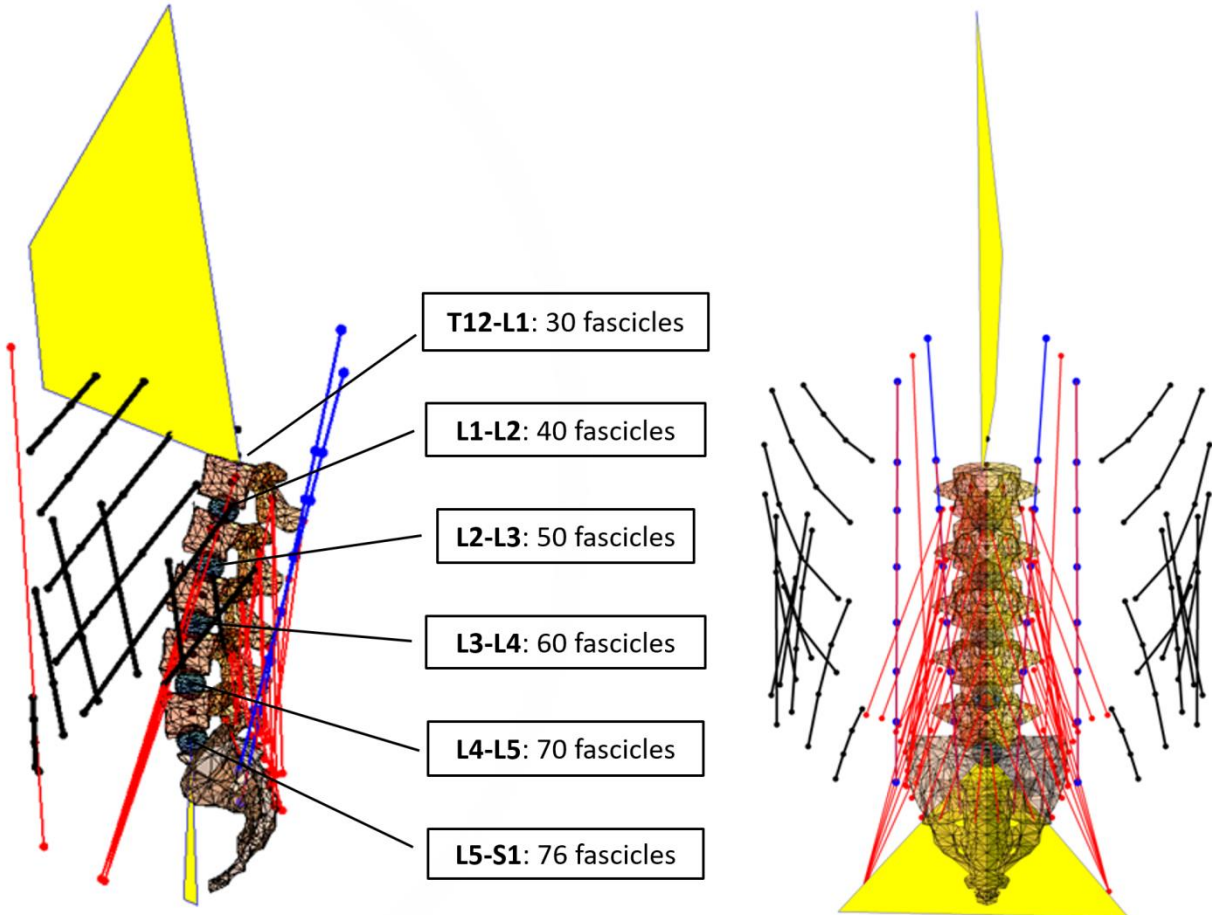
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- 424



426 **g. 1.** Subject performing the tasks under study. The bottom image shows superposed snapshots of all phases
 427 the transfer of a 15-kg box taken from the conveyor: Lift, Carry and Deposit on the hand trolley platform
 428 (H1). The top image shows only two of these phases: Lift and Deposit at the top of the pile (H4).
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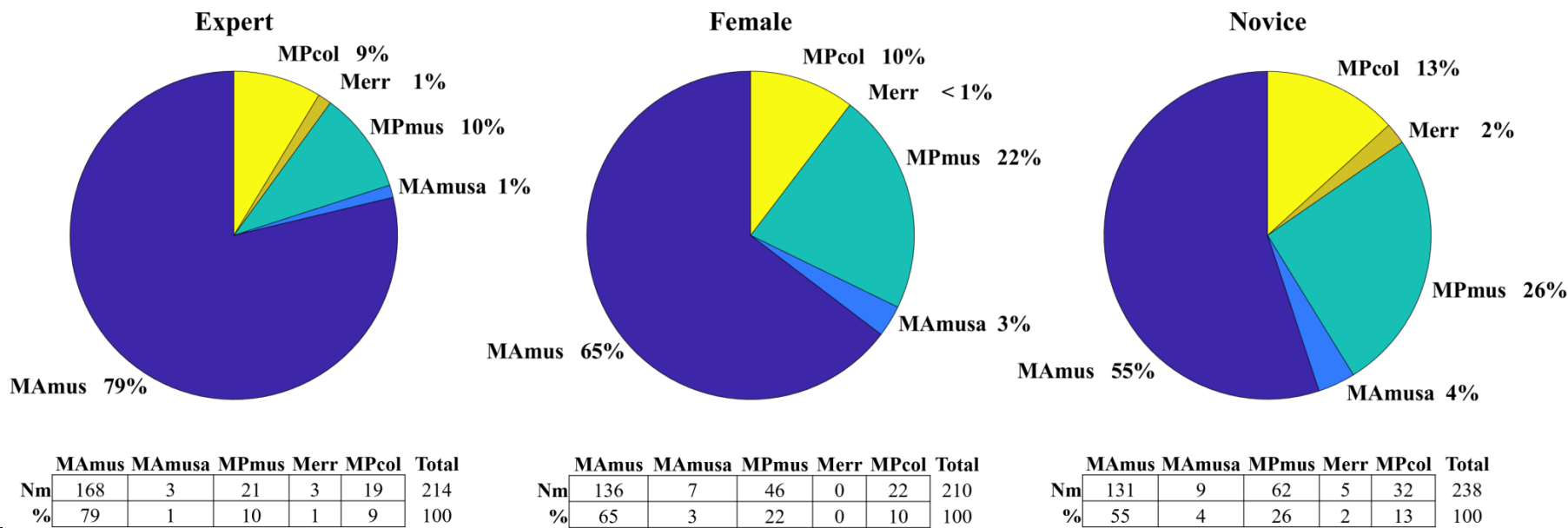
Sagittal View

Frontal View



432
 433 **Fig. 2.** The lumbar spine musculoskeletal model includes 30 global muscle fascicles crossing all 6 joints
 434 T12-S1). Going down the spine, local muscle fascicles acting across the remaining lumbar joints (L1-S1: 10;
 435 L2-S1: 10; L3-S1: 10; L4-S1: 10; L5-S1: 6) are added to these global muscle fascicles until all 76 muscle
 436 fascicles intersect the lumbosacral joint (L5-S1).

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439
 440 **Fig. 3.** Comparative pie chart distribution of the L5-S1 normalized internal flexion-extension moments between typical Expert (mass: 74 kg), Female
 441 (mass: 68 kg), and Novice (mass: 72 kg) workers during the Lift phase of a 15-kg box. In this illustrative example, the total internal flexion-extension
 442 moments are 214 vs 210 vs 238 Nm (Total: sum of absolute values) for Expert vs Female vs Novice, respectively. The active parts of the agonist
 443 muscles (Mamus) provide 79 vs 65 vs 55 % of this total moment, the passive ligamentous spine (MPcol) 9 vs 10 vs 13 %, the passive agonist muscles
 444 (MPmus) 10 vs 22 vs 26 %, and the active antagonist muscles (MAmusa) 1 vs 3 vs 4 %. The adjustment error (Merr) is less than 2 %. Model output
 445 (Nm) and normalized values (%) are provided in a summary table at the bottom of each chart. (For interpretation of the colors in this figure legend, the
 446 reader is referred to the web version of this article.)

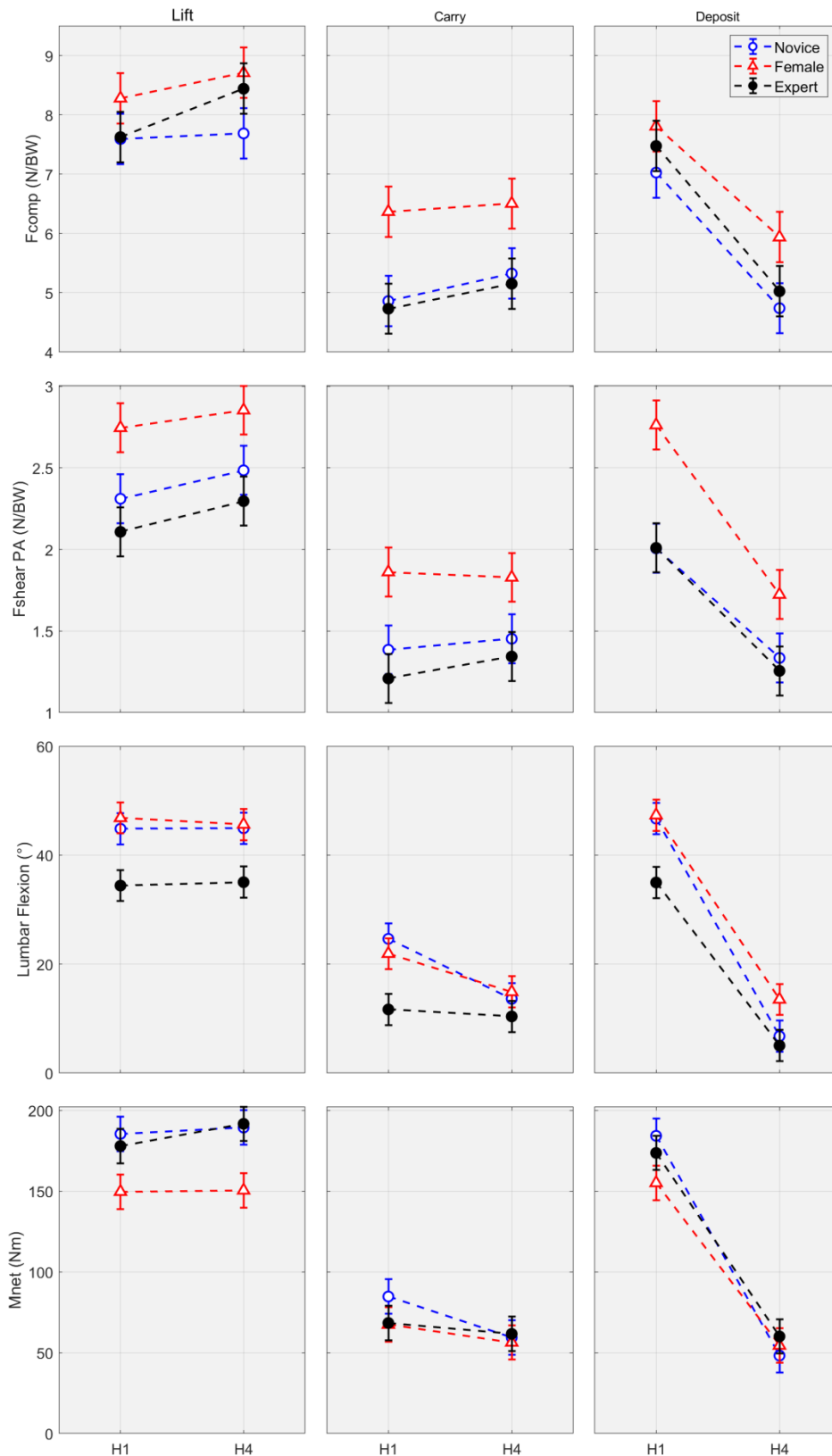
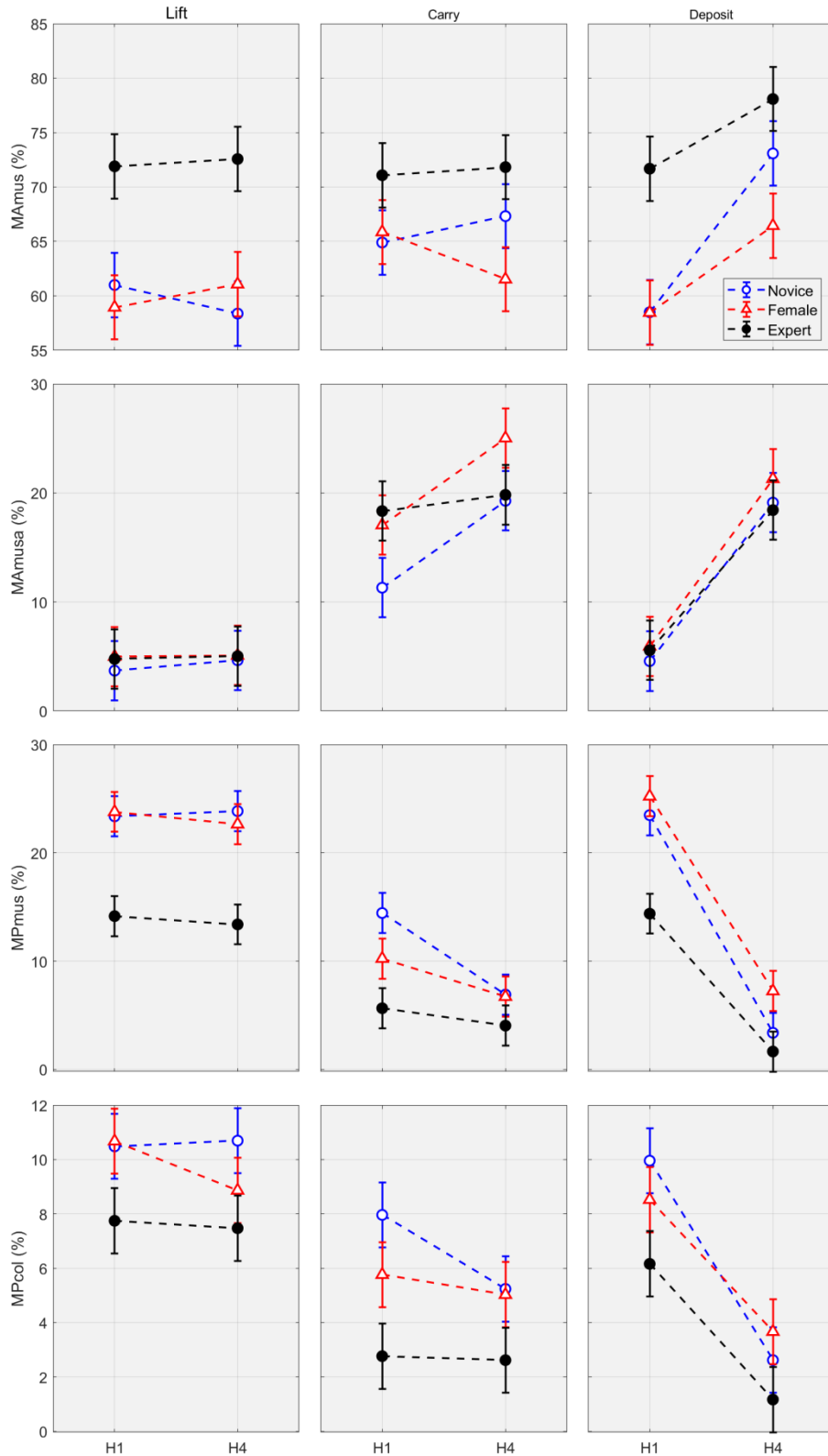


Fig. 4. Graphical illustration of height (H1 vs H4; horizontal axis of each subplot) and phase (Lift vs Carry vs Deposit; one level by column of subplots) factors plotted by group (Expert vs Female vs Novice; dashed lines) for the following variables (from the top down): F_{comp} (N/BW), F_{shear PA} (N/BW), Lumbar Flexion (°), and L5-S1 M_{net} (Nm). Error bars represent half Fisher's Least Significant Difference (FLSD) for the plotted effect so that means are different when the

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bars do not overlap. (For interpretation of the colors in this figure legend, the reader is referred to the web version of this article.)

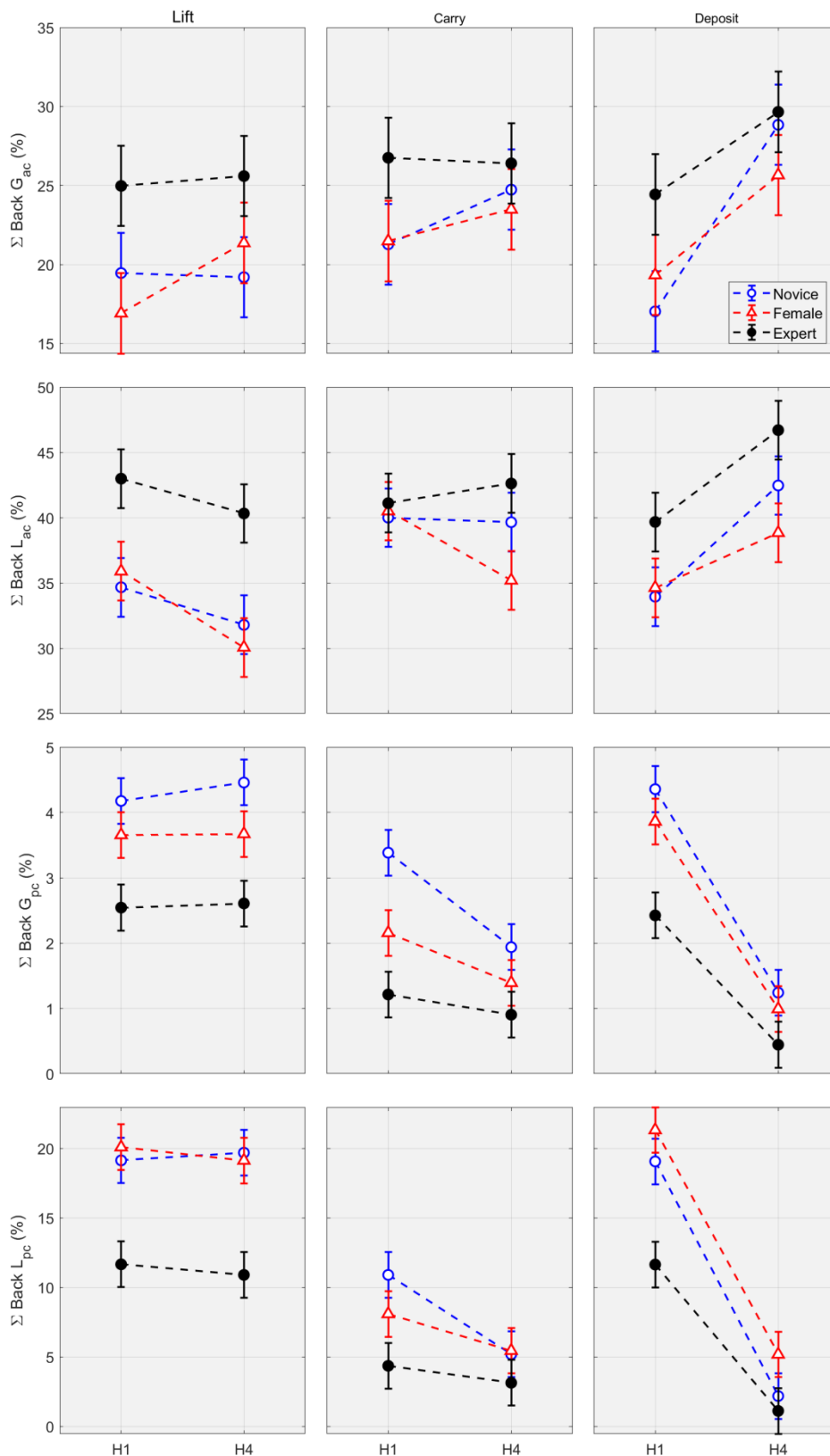


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Fig. 5. Graphical illustration of height (H1 vs H4; horizontal axis of each subplot) and phase (Lift vs Carry vs Deposit; one level by column of subplots) factors plotted by group (Expert vs Female vs Novice; dashed lines) for the following variables (from the top down): MAmus (%), MAmusa (%), MPmus (%), and MPcol (%). Error bars represent half Fisher's

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Least Significant Difference (FLSD) for the plotted effect so that means are different when the bars do not overlap. (For interpretation of the colors in this figure legend, the reader is referred to the web version of this article.)



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Fig. 6. Graphical illustration of height (H1 vs H4; horizontal axis of each subplot) and phase (Lift vs Carry vs Deposit; one level by column of subplots) factors plotted by group (Expert vs Female vs Novice; dashed lines) for the following

465 variables (from the top down): Σ Back G_{ac} (%), Σ Back L_{ac} (%), Σ Back G_{pc} (%), and Σ Back L_{pc} (%). Error bars
466 represent half Fisher's Least Significant Difference (FLSD) for the plotted effect so that means are different when the bars
467 do not overlap. (For interpretation of the colors in this figure legend, the reader is referred to the web version of this
468 article.)

Table 1

Marginal means, standard deviations (SD) and factorial ANOVA results for the group (G) factor and its interactions with height (GH) and phase (GP) on main dependent variables (n = 10 subjects per group)

Dependent Variable	Group (G)			Height (H)		Phase (P)			ANOVA p value			ANOVA ges value			Post hoc
	Expert (E)	Novice (N)	Female (F)	H1	H4	Lift	Carry	Deposit	G	GH	GP	G	GH	GP	G
A. Joint forces, lumbar flexion angle and net joint moment															
Fcomp (N/BW)	6,4 (1,9)	6,2 (1,8)	7,3 (1,8)						0,03	0,85	0,50	0,11	0,00	0,02	F > E,N
Fshear PA (N/BW)	1,7 (0,7)	1,8 (0,7)	2,3 (0,7)						0,01	0,13	0,85	0,22 *	0,01	0,01	F > E,N
Lumbar Flexion (°)	21,9 (16,6)	30,3 (19,6)	31,7 (20,0)	34,8 (17,1)	21,1 (18,7)				<u>0,08</u>	0,02	0,66	0,13 *	0,01	0,01	E < F,N
Mnet (Nm)	122,3 (66,9)	125,3 (68,9)	103,1 (57,5)	138,6 (54,7)	96,9 (65,1)				0,05	0,00	0,12	0,09	0,02	0,05	F < E,N
B. Internal moments															
MAmus (%)	72,9 (8,3)	63,9 (11,6)	62,0 (13,3)						0,02	0,73	0,32	0,17 *	0,00	0,02	E > F,N
MAmusa (%)	12,0 (8,7)	10,4 (9,6)	13,2 (12,4)						0,32	0,56	0,56	0,02	0,01	0,02	
MPmus (%)	8,9 (7,9)	15,9 (11,6)	16,0 (13,1)			20,2 (10,5)	8,0 (7,7)	12,6 (12,5)	<u>0,07</u>	0,12	0,05	0,14 *	0,01	0,02	E < F,N
MPcol (%)	4,7 (4,2)	7,8 (5,3)	7,1 (4,3)						<u>0,06</u>	0,43	0,86	0,12	0,01	0,00	E < F,N
C. Muscle moments: Extensors (global, local) and global flexors															
Σ Back G _{2c} (%)	26,3 (6,1)	21,8 (7,8)	21,4 (7,1)						0,02	0,46	0,85	0,11	0,01	0,01	E > F,N
Σ Back L _{2c} (%)	42,2 (6,5)	37,1 (7,6)	35,9 (11,0)	38,2 (9,2)	38,6 (8,8)				<u>0,08</u>	<u>0,09</u>	0,27	0,11	0,02	0,02	E > F,N
Σ Back G _{pc} (%)	1,7 (1,2)	3,3 (2,2)	2,6 (1,9)	3,1 (1,9)	2,0 (1,8)				0,04	<u>0,08</u>	0,64	0,17 *	0,01	0,01	E < F,N
Σ Back L _{pc} (%)	7,1 (7,1)	12,7 (9,9)	13,2 (11,2)			16,8 (9,4)	6,2 (6,2)	10,1 (10,5)	<u>0,07</u>	0,17	<u>0,06</u>	0,13 *	0,01	0,02	E < F,N
Σ Abdo _{2c} (%)	8,9 (8,5)	7,5 (8,8)	10,3 (12,2)						0,39	0,50	0,65	0,02	0,01	0,01	

p value: Probability from the three-way factorial ANOVA (G × H × P), bolded for p < 0.05 and underlined for 0.05 ≤ p < 0.10

ges: Generalized eta squared as defined by Bakeman (2015), moderate and above followed by an asterisk (ges ≥ 0.13 *)

Post hoc (G): Pairwise group comparison using t test with pooled SD and Bonferroni adjustment method (p < 0.05)

To simplify this table, marginal means (SD) for factors height (H) and phase (P) are only presented when relevant

Table 2

Marginal means, standard deviations (SD) and factorial ANOVA results for the group (G) factor and its interactions with height (GH) and phase (GP) on selected dependent variables (n = 10 subjects per group)

Dependent Variable	Group (G)			Height (H)		Phase (P)			ANOVA p value			ANOVA ges value			Post hoc
	Expert (E)	Novice (N)	Female (F)	H1	H4	Lift	Carry	Deposit	G	GH	GP	G	GH	GP	G
D. Detailed muscle moments: Global extensors															
Σ LGPT _{ac} (%)	20,2 (6,0)	16,7 (5,9)	16,7 (5,5)						0,05	0,74	0,88	0,09	0,00	0,01	E > F,N
Σ LGPT _{pc} (%)	1,0 (0,7)	2,1 (1,5)	1,7 (1,3)	2,0 (1,2)	1,3 (1,2)				0,03	0,03	0,65	0,18 *	0,01	0,00	E < F,N
Σ ICPT _{ac} (%)	6,1 (3,1)	5,1 (3,6)	4,6 (3,0)						<u>0,07</u>	0,37	0,35	0,05	0,01	0,03	E > F
Σ ICPT _{pc} (%)	0,6 (0,5)	1,2 (0,8)	0,9 (0,7)						<u>0,06</u>	0,37	0,63	0,13 *	0,01	0,01	E < N
E. Detailed muscle moments: Local extensors															
Σ LGPL _{ac} (%)	8,4 (2,0)	7,3 (2,1)	7,3 (2,6)						0,24	0,71	0,32	0,06	0,00	0,02	
Σ LGPL _{pc} (%)	1,4 (1,3)	2,4 (1,8)	2,5 (2,0)			3,1 (1,7)	1,2 (1,1)	1,9 (2,0)	<u>0,07</u>	0,21	0,04	0,13 *	0,01	0,03	E < F,N
Σ ICPL _{ac} (%)	12,4 (3,3)	10,1 (3,3)	9,9 (4,1)						0,04	0,45	0,50	0,09	0,01	0,02	E > F,N
Σ ICPL _{pc} (%)	2,5 (2,6)	4,4 (3,5)	4,6 (4,0)			5,9 (3,4)	2,1 (2,1)	3,5 (3,7)	<u>0,08</u>	0,26	<u>0,08</u>	0,13 *	0,01	0,03	E < F,N
Σ MUF _{ac} (%)	17,4 (5,6)	15,9 (5,9)	14,9 (5,8)						0,21	0,17	0,96	0,05	0,02	0,00	
Σ MUF _{pc} (%)	2,3 (2,1)	4,2 (3,2)	4,3 (3,5)	4,7 (3,1)	2,6 (2,8)	5,4 (2,8)	2,2 (2,2)	3,3 (3,4)	<u>0,06</u>	<u>0,06</u>	<u>0,07</u>	0,14 *	0,01	0,02	E < F,N
Σ QLO _{ac} (%)	4,0 (1,7)	3,8 (1,5)	3,7 (1,5)						0,52	0,70	0,12	0,01	0,00	0,06	
Σ QLO _{pc} (%)	1,0 (1,1)	1,7 (1,4)	1,8 (1,7)						0,13	0,28	0,15	0,10	0,01	0,02	
F. Detailed muscle moments: Global flexors															
Σ RA _{ac} (%)	1,5 (1,4)	1,2 (1,5)	2,4 (3,2)	1,0 (1,2)	2,4 (2,7)				<u>0,06</u>	0,00	0,29	0,07	0,05	0,03	F > N
Σ EO _{ac} (%)	7,2 (7,7)	6,3 (7,2)	7,4 (9,8)						0,74	0,76	0,69	0,01	0,00	0,01	
Σ IO _{ac} (%)	0,2 (0,4)	0,3 (0,8)	0,6 (1,7)						0,44	0,54	0,35	0,03	0,00	0,04	

p value: Probability from the three-way factorial ANOVA (G × H × P), bolded for $p < 0.05$ and underlined for $0.05 \leq p < 0.10$

ges: Generalized eta squared as defined by Bakeman (2015), moderate and above followed by an asterisk (ges ≥ 0.13 *)

Post hoc (G): Pairwise group comparison using t test with pooled SD and Bonferroni adjustment method ($p < 0.05$)

4) To simplify this table, maginal means (SD) for factors height (H) and phase (P) are only presented when relevant

Additional Results: Detailed Muscular Moments

Table 2

Marginal means, standard deviations (SD) and factorial ANOVA results for the group (G) factor and its interactions with height (GH) and phase (GP) on selected dependent variables (n = 10 subjects per group)

Dependent Variable	Group (G)			Height (H)		Phase (P)			ANOVA p value			ANOVA ges value			Post hoc
	Expert (E)	Novice (N)	Female (F)	H1	H4	Lift	Carry	Deposit	G	GH	GP	G	GH	GP	G
D. Detailed muscle moments: Global extensors															
Σ LGPT _{ac} (%)	20.2 (6.0)	16.7 (5.9)	16.7 (5.5)						0.05	0.74	0.88	0.09	0.00	0.01	E > F,N
Σ LGPT _{pc} (%)	1.0 (0.7)	2.1 (1.5)	1.7 (1.3)	2.0 (1.2)	1.3 (1.2)				0.03	0.03	0.65	0.18 *	0.01	0.00	E < F,N
Σ ICPT _{ac} (%)	6.1 (3.1)	5.1 (3.6)	4.6 (3.0)						<u>0.07</u>	0.37	0.35	0.05	0.01	0.03	E > F
Σ ICPT _{pc} (%)	0.6 (0.5)	1.2 (0.8)	0.9 (0.7)						<u>0.06</u>	0.37	0.63	0.13 *	0.01	0.01	E < N
E. Detailed muscle moments: Local extensors															
Σ LGPL _{ac} (%)	8.4 (2.0)	7.3 (2.1)	7.3 (2.6)						0.24	0.71	0.32	0.06	0.00	0.02	
Σ LGPL _{pc} (%)	1.4 (1.3)	2.4 (1.8)	2.5 (2.0)			3.1 (1.7)	1.2 (1.1)	1.9 (2.0)	<u>0.07</u>	0.21	0.04	0.13 *	0.01	0.03	E < F,N
Σ ICPL _{ac} (%)	12.4 (3.3)	10.1 (3.3)	9.9 (4.1)						0.04	0.45	0.50	0.09	0.01	0.02	E > F,N
Σ ICPL _{pc} (%)	2.5 (2.6)	4.4 (3.5)	4.6 (4.0)			5.9 (3.4)	2.1 (2.1)	3.5 (3.7)	<u>0.08</u>	0.26	<u>0.08</u>	0.13 *	0.01	0.03	E < F,N
Σ MUF _{ac} (%)	17.4 (5.6)	15.9 (5.9)	14.9 (5.8)						0.21	0.17	0.96	0.05	0.02	0.00	
Σ MUF _{pc} (%)	2.3 (2.1)	4.2 (3.2)	4.3 (3.5)	4.7 (3.1)	2.6 (2.8)	5.4 (2.8)	2.2 (2.2)	3.3 (3.4)	<u>0.06</u>	<u>0.06</u>	<u>0.07</u>	0.14 *	0.01	0.02	E < F,N
Σ QLO _{ac} (%)	4.0 (1.7)	3.8 (1.5)	3.7 (1.5)						0.52	0.70	0.12	0.01	0.00	0.06	
Σ QLO _{pc} (%)	1.0 (1.1)	1.7 (1.4)	1.8 (1.7)						0.13	0.28	0.15	0.10	0.01	0.02	
F. Detailed muscle moments: Global flexors															
Σ RA _{ac} (%)	1.5 (1.4)	1.2 (1.5)	2.4 (3.2)	1.0 (1.2)	2.4 (2.7)				<u>0.06</u>	0.00	0.29	0.07	0.05	0.03	F > N
Σ EO _{ac} (%)	7.2 (7.7)	6.3 (7.2)	7.4 (9.8)						0.74	0.76	0.69	0.01	0.00	0.01	
Σ IO _{ac} (%)	0.2 (0.4)	0.3 (0.8)	0.6 (1.7)						0.44	0.54	0.35	0.03	0.00	0.04	

p value: Probability from the three-way factorial ANOVA (G × H × P), bolded for $p < 0.05$ and underlined for $0.05 \leq p < 0.10$

ges: Generalized eta squared as defined by Bakeman (2015), moderate and above followed by an asterisk ($ges \geq 0.13 *$)

Post hoc (G): Pairwise group comparison using t test with pooled SD and Bonferroni adjustment method ($p < 0.05$)

To simplify this table, marginal means (SD) for factors height (H) and phase (P) are only presented when relevant

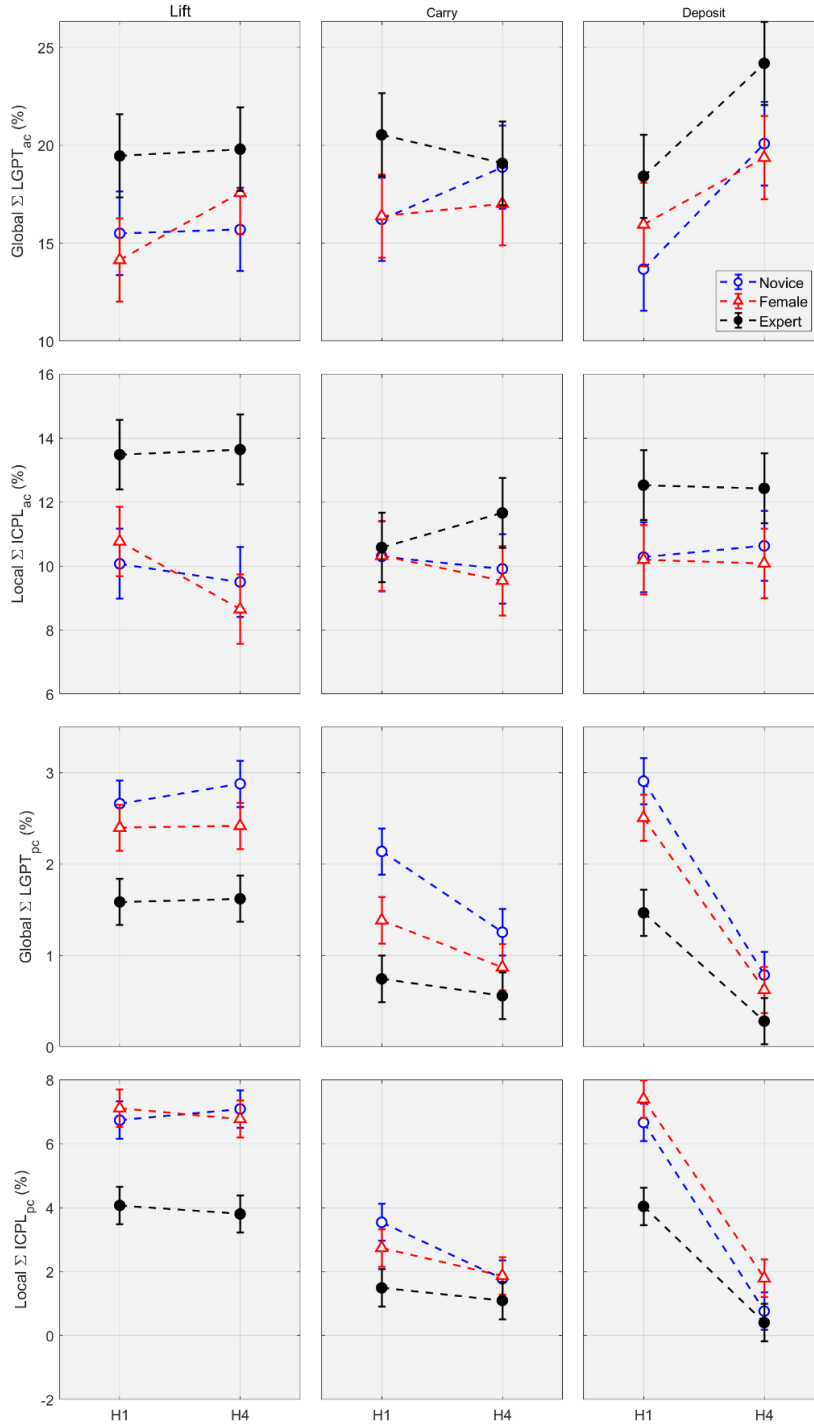


Fig. 7. Graphical illustration of height (H1 vs H4; horizontal axis of each subplot) and phase (Lift vs Carry vs Deposit; one level by column of subplots) factors plotted by group (Expert vs Female vs Novice; dashed lines) for the following variables (from the top down): Global Σ LGPT_{ac} (%), Local Σ ICPL_{ac} (%), Global Σ LGPT_{pc} (%), and Local Σ ICPL_{pc} (%). Error bars represent half Fisher's Least Significant Difference (FLSD) for the plotted effect so that means are different when the bars do not overlap.

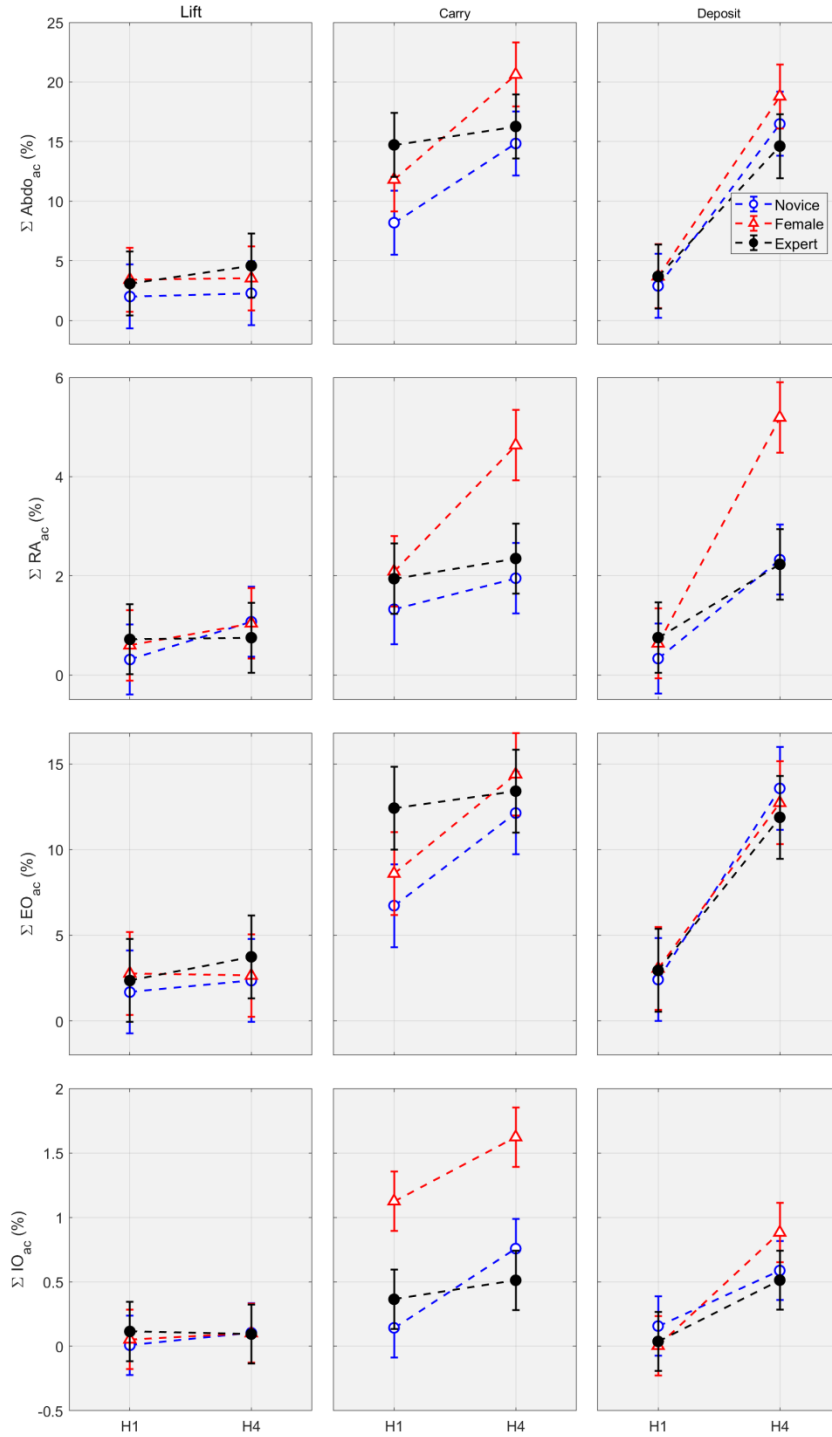


Fig. 8. Graphical illustration of height (H1 vs H4; horizontal axis of each subplot) and phase (Lift vs Carry vs Deposit; one level by column of subplots) factors plotted by group (Expert vs Female vs Novice; dashed lines) for the following variables (from the top down): $\Sigma Abdo_{ac}$ (%), ΣRA_{ac} (%), ΣEO_{ac} (%), and ΣIO_{ac} (%). Error bars represent half Fisher's Least Significant Difference (FLSD) for the plotted effect so that means are different when the bars do not overlap.

Interpretation of interactions

Some interactions (Table 1-2) were statistically significant ($p < 0.05$) or marginally significant ($0.05 \leq p < 0.10$), but their generalized effect sizes were all small ($ges \leq 0.06$). To stay coherent with the manuscript, section and figure numbers of this supplement are the same as those of the corresponding elements in the manuscript (or in the previous section), but end with the letter S.

3.1S Joint forces with flexion angle and net joint moment (Table 1.A and Fig. 4S)

Statistically significant GH interactions were detected for lumbar flexion angle and net (external) moment. These interactions indicate that novices decreased their lumbar flexion from H1 to H4 more, while experts decreased their net (external) moment less (**Fig. 4S**). On the one hand, novices straighten their lumbar spine more than females but still less than experts from H1 to H4. On the other hand, experts exerted a net moment in between novice and female at H1 but then their moment became the largest at H4.

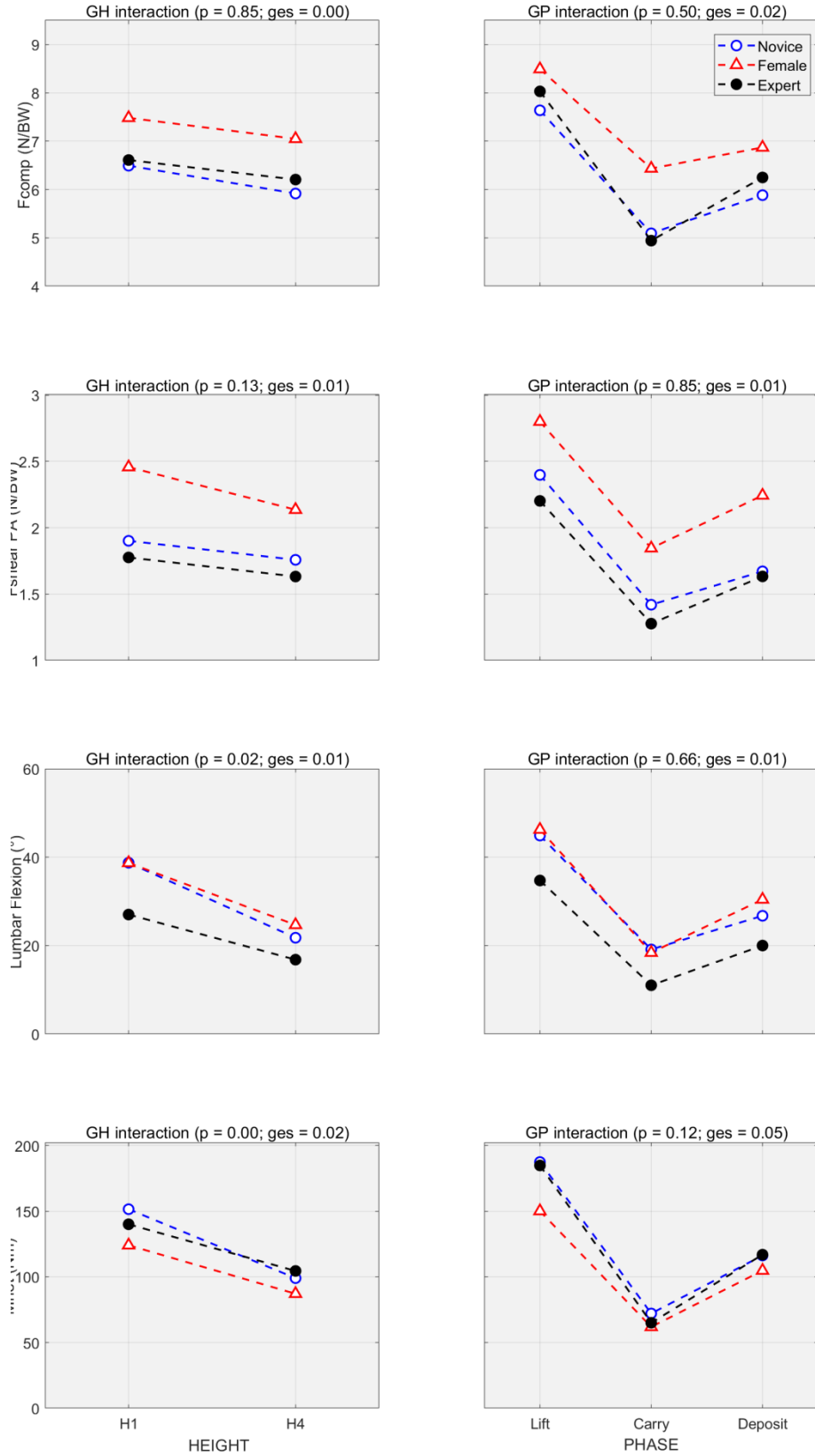


Fig. 4S. Interactions GH and GP for the same variables as Fig. 4.

3.2S Internal moments (Table 1.B and Fig. 5S)

A statistically significant GP interaction for MPmus indicated that groups did not behave the same way across phases: changes in passive muscle moment for females were not following the trend of the males, with females increasing their passive muscle resistance at deposit time more (**Fig. 5S**).

3.3S Muscle moments (Table 1.C and Fig. 6S)

There was no statistically significant interaction for the muscle moments. Marginally significant GH interactions for active local extensors as well as for passive global extensors highlighted some slope of changes from H1 to H4 between the groups: the slope of Back L_{ac} was positive for experts and novices, but negative for females; for Back G_{pc} , slopes are all negative but the incline is slightly less pronounced for experts. One marginally significant GP for Back L_{pc} interaction reproduces the statistically significant GP interaction for MPmus and could be explained the same way. It is worthwhile to note that females and novices had the same overall extensor contributions.

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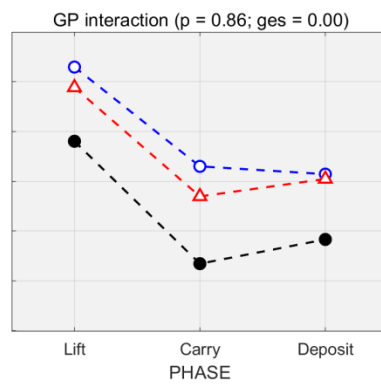
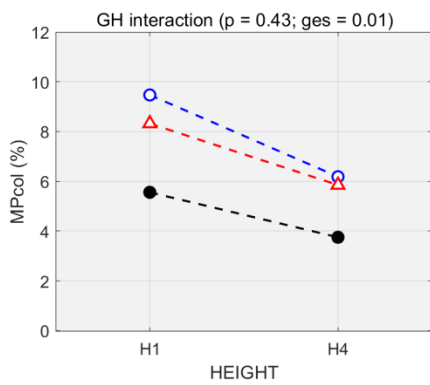
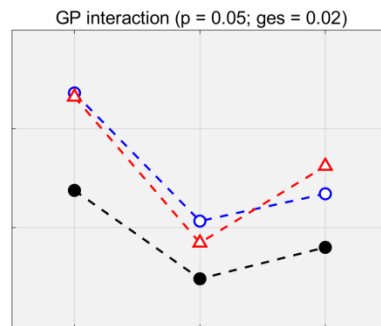
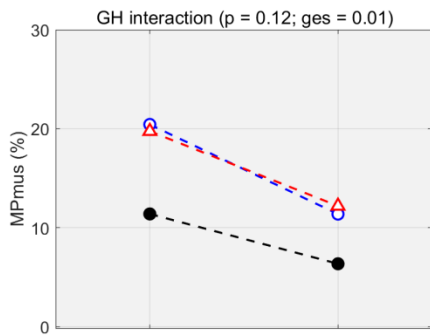
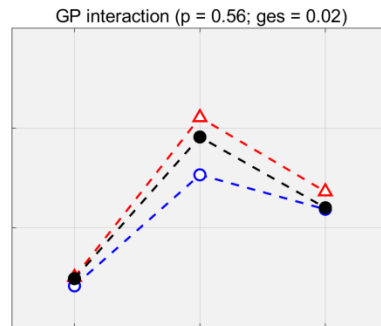
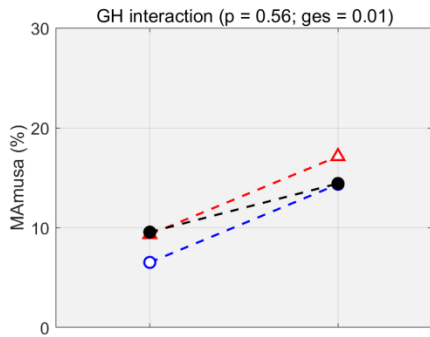
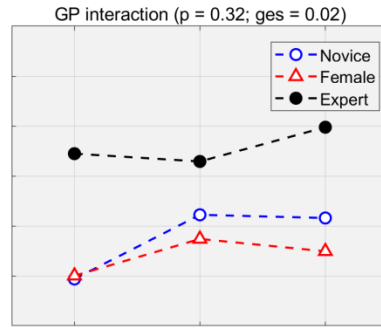
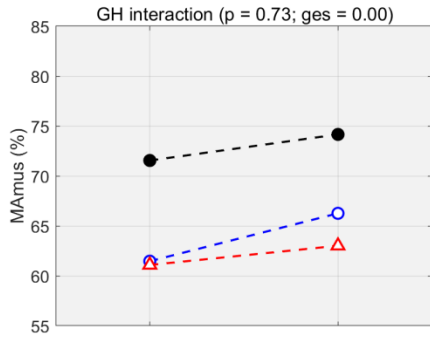


Fig. 5S. Interactions GH and GP for the same variables as **Fig. 5.**

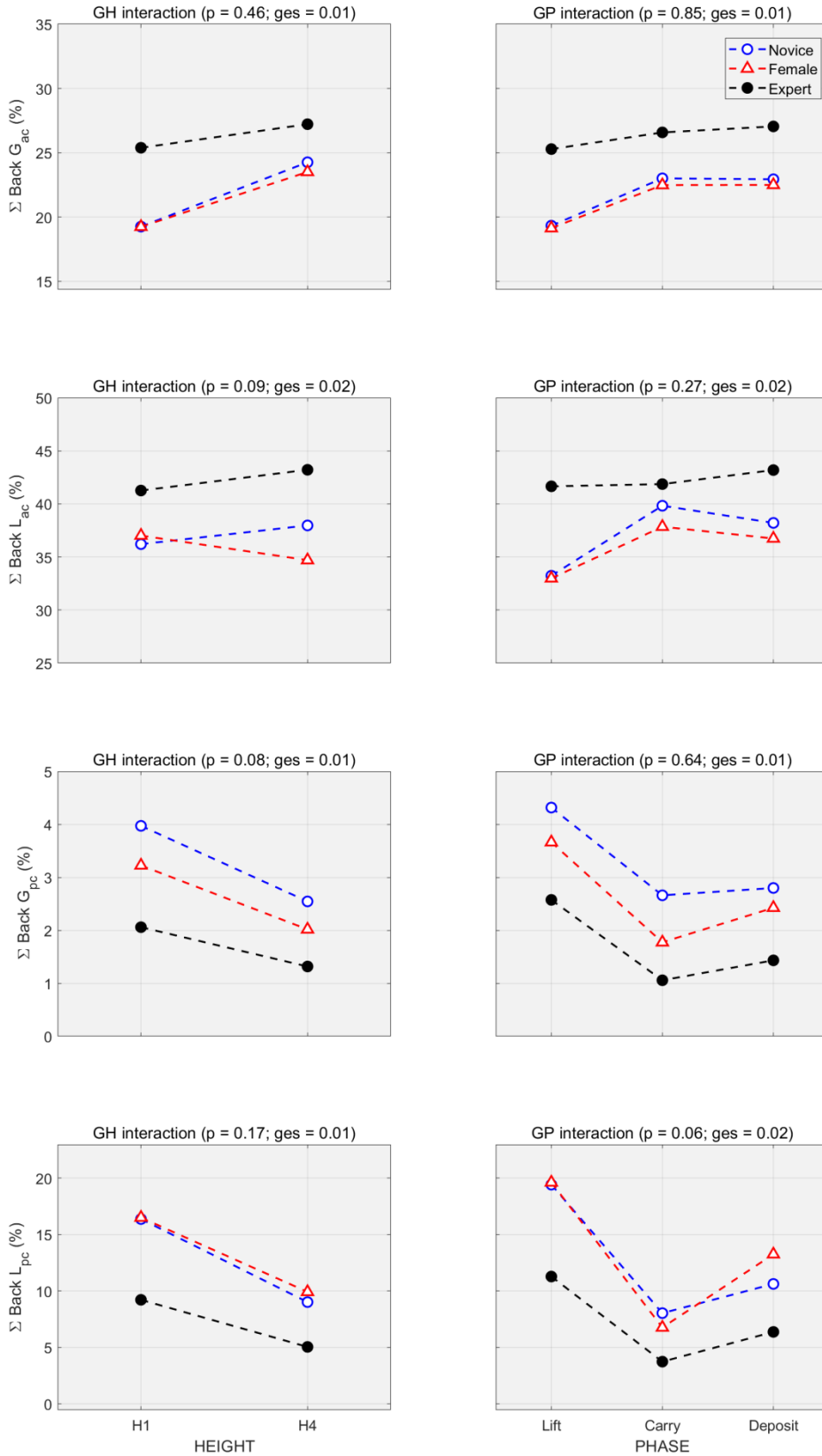


Fig. 6S. Interactions GH and GP for the same variables as **Fig. 6.**

3.4S Detailed muscle moments: Global and local extensors (Table 2.D-E and Fig. 7-7S)

Statistically significant GH interactions for $LGPT_{pc}$ (marginally significant for MUF_{pc}) indicated that both females and novices decreased the passive resistance of this muscle from H1 to H4 more than experts: thus, changes were greater for females and novices but experts still required less passive tension from these muscles throughout the tasks. Statistically significant GP interactions for local extensor $LGPL_{pc}$ (marginally significant for $ICPL_{pc}$ and MUF_{pc}) indicated a different strategy for females across the phases. For this local extensor, females showed a more marked decline in passive resistance from lift to carry and then a more prominent rise from carry to deposit. These passive contributions occurred in parallel with lumbar spine flexion-extension: because females were more flexed at lift and deposit times (more passive contributions), they had to straighten more to approach an erected trunk posture during the carry phase (steeper increase-decrease slopes).

3.5S Detailed muscle moments: Global flexors (Table 2.F and Fig. 8-8S)

A statistically significant GH interaction indicated that the demand for RA_{ac} was amplified for females when the destination was H4.

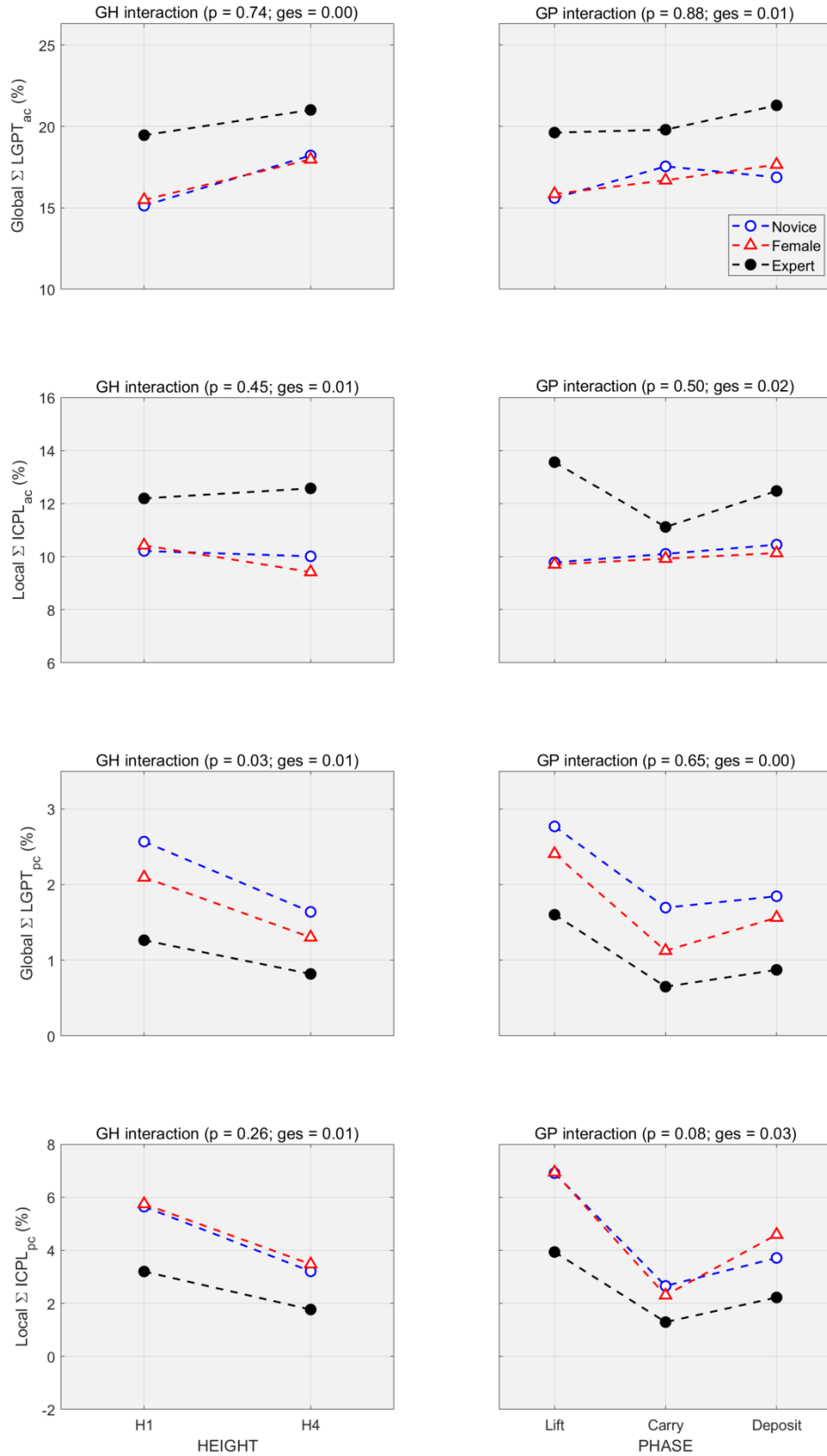


Fig. 7S. Interactions GH and GP for the same variables as Fig. 7.

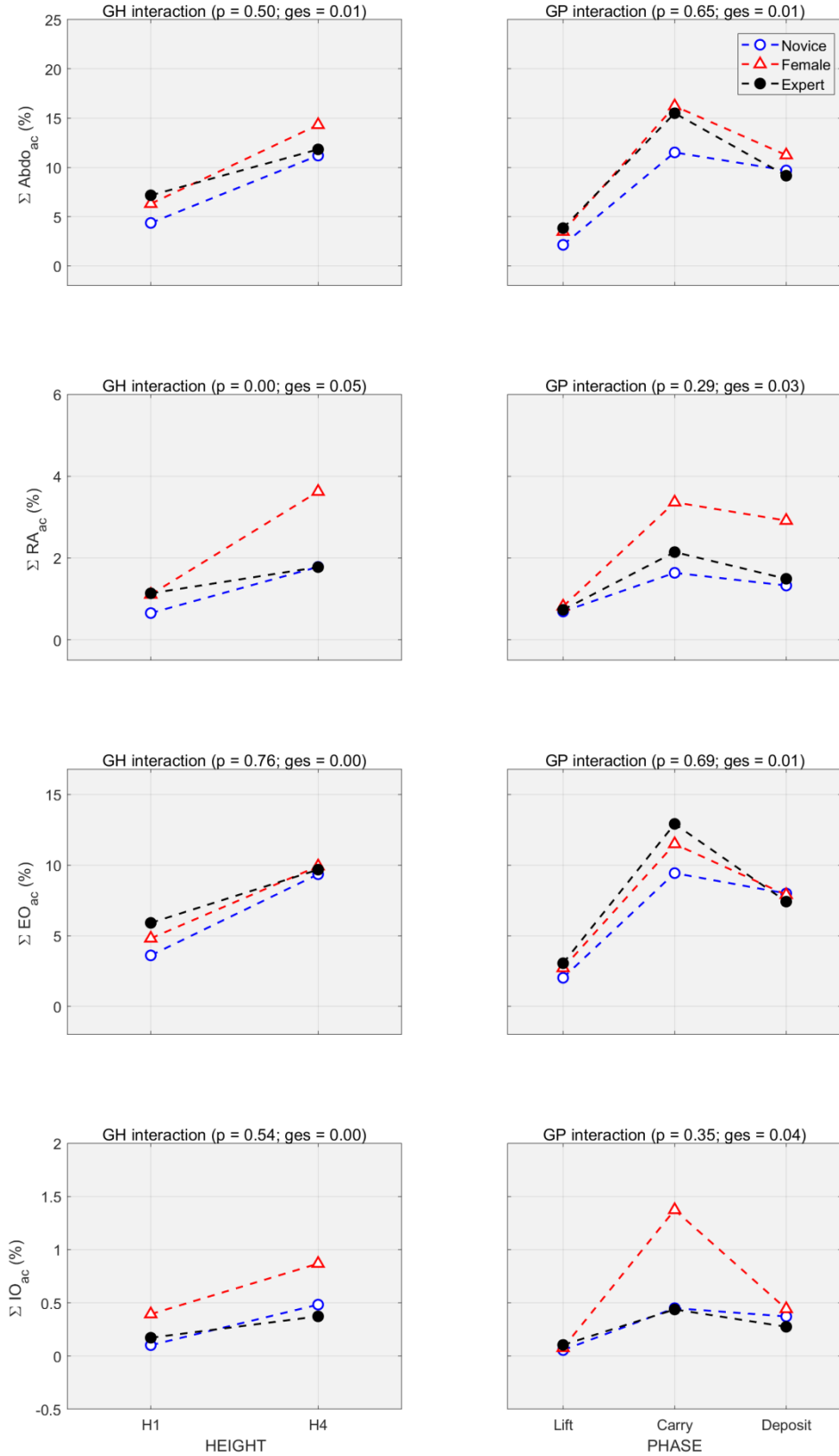


Fig. 8S. Interactions GH and GP for the same variables as Fig. 8.

Abbreviations

Abbreviation	Definition (units)
Joint forces	
Fcomp	Joint compression force (N)
Fshear	Joint shear force (N)
Moments	
MAmus	Active muscle moment (Nm)
MAMusMax	Maximal active muscle moment about a lumbar joint for a given posture (Nm)
Merr	Adjustment error moment (Nm)
Mnet	Net (external) joint moment (Nm)
Mnorm	Euclidean norm of the resultant moment(s) about relevant joint(s) (Nm)
MPcol	Passive ligamentous spine (resistance) moment (Nm)
MPmus	Passive (agonist) muscle moment (Nm)
M _L , M _S , M _T , M _r	Longitudinal (L), sagittal (S), transverse (T), and resultant moment about a joint (Nm)
Dependent variables	
Fshear PA, Fshear ML	Postero-anterior and medial-lateral shear joint force (N/Body weight)
MAmus	Normalized agonist muscle moment (%)
MAMusa	Normalized antagonist muscle moment (%)
MPcol	Normalized passive ligamentous spine moment (%)
MPmus	Normalized passive muscle moment (%)
\sum Abdo	Sum of global flexor normalized moments: EO, IO, RA (%)
\sum Back L	Sum of local extensor normalized moments: LGPL, MUF, ICPL, QLO (%)
\sum Back G	Sum of global extensor normalized moments: ICPT and LGPT (%)
\sum EO	Sum of external oblique normalized moments (%)
\sum ICPL	Sum of iliocostalis pars lumbaris normalized moments (%)
\sum ICPT	Sum of iliocostalis pars thoracis normalized moments (%)
\sum IO	Sum of internal oblique normalized moments (%)
\sum LGPL	Sum of longissimus pars lumbaris normalized moments (%)
\sum LGPT	Sum of longissimus pars thoracis normalized moments (%)
\sum MUF	Sum of multifidus normalized moments (%)
\sum QLO	Sum of quadratus lumborum normalized moments (%)
\sum RA	Sum of rectus abdominis normalized moments (%)